

Figure 1

```
int TRAILER_calculate_trailer(int ct_x[],
                               int ct y[],
                               int ct_t[],
                               int ct length,
                               int *ct a,
                               int *ct b)
{ int i;
  int ct idx1=TRIALER_INIT_INDEX1, ct_idx2=TRIALER_INIT_INDEX2,
      ct idx3=TRIALER_INIT_INDEX3,ct idx4=TRIALER_INIT_INDEX4;
  int ct idx5=TRIALER_INIT_INDEX5,ct_idx6= TRIALER_INIT_INDEX6,
      ct idx7=TRIALER_INIT_INDEX7,ct_idx8=TRIALER_INIT_INDEX8;
  int ct sum1=0,ct_sum2=0,ct_sum3=0,ct_sum4=0;
  int ct prime[N]=
  { TRAILER_PRIME_11, TRAILER_PRIME_12, ..., TRAILER PRIME 1N
  };
  int ct primel[N1]=
  { TRAILER_PRIME_21, TRAILER_PRIME_22, ..., TRAILER_PRIME 2N1
  };
  if (!ct x || !ct_y || !ct_t ||
      ct length<40 || !ct_a || !ct_b) return 0;
  for (i=0; i < ct_length; ++i)
   // Second and third order sums.
   ct sum1+=ct prime[ct idx1]*ct prime1[ct_idx5];
    ct sum2+=ct_prime[ct_idx2]*ct_prime1[ct_idx6];
    ct sum3+=ct prime[ct idx3]*ct prime1[ct_idx7];
    ct sum4+=
    ct_prime[ct_idx6] * ct_prime[ct_idx4] *ct_prime1[ct_idx8] *
ct x[i]*ct_y[i]*ct_t[i];
  }
  return 1;
}
```

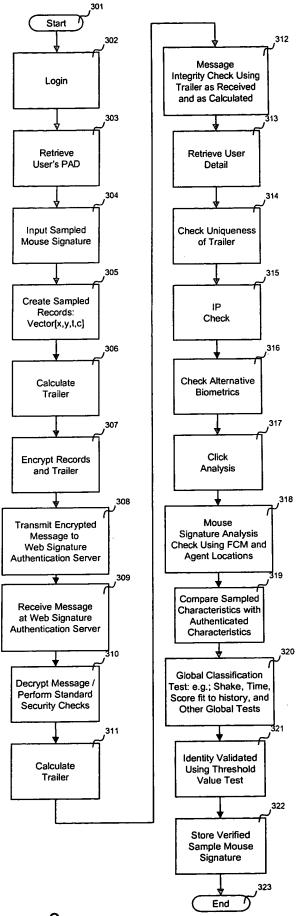


Figure 3

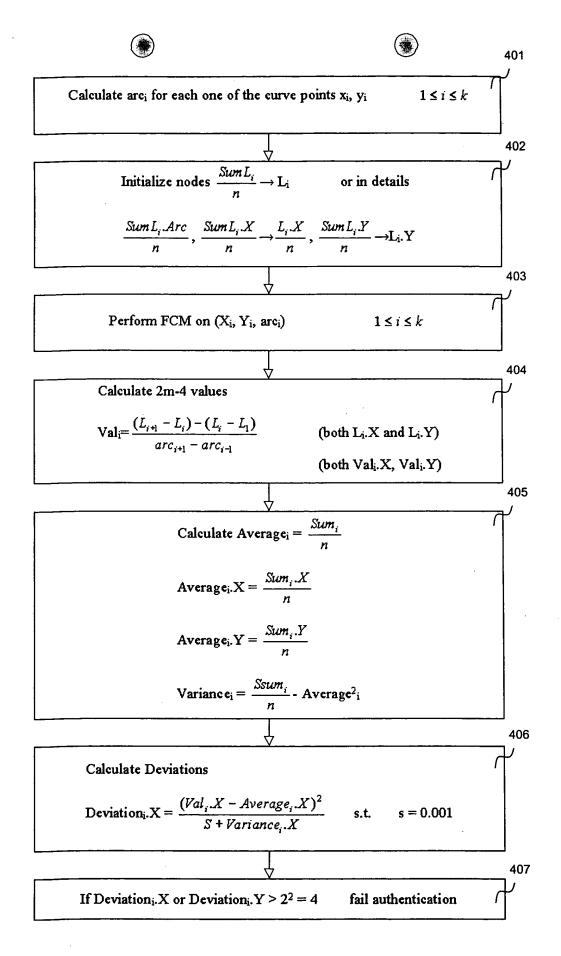


Figure 4

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Calculate the number of times that the curvature changes sign

If Xi, Yi is the curve

The sign is taken from

$$\Delta X_i = X_i - X_{i-1}, \qquad \Delta Y_i = Y_i - Y_{i-1}$$

$$\Delta X_{i+1} = X_{i+1} - X_i$$
, $\Delta Y_{i+1} = Y_{i+1} - Y_i$

 $Val = \#(sgn(\Delta X_i \Delta Y_{i+1} \cdot \Delta Y_i \Delta X_{i+1}))$

sgn is either 1 or -1 or 0. The value is calculated as the number of times that sgn changes from 1 to -1 or from -1 to 1.

Calculate Average = $\frac{Sum}{n}$ Sum = $\sum_{k=1}^{n} Val_k$

Calculate Variance = Ssum Ssum = $\sum_{k=1}^{n} Val_k^2$

Calculate deviation

$$Dev = \frac{(Val - Average)^2}{s + Variance} \qquad s = 0.0001$$

If Dev>9 then fail



Search for sequences of the "c" coordinate that are 0011, enumerate occurrences.

- (1) x, y, t, o
- (2) x, y, t, o
- $(3) \qquad x,\,y,\,t,\,1 \qquad \rightarrow \qquad x_3,\,y_3,\,t_3$
- (4) x, y, t, 1

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Calculate average, Average_i =
$$\frac{sum_i}{n}$$

(for both Sum_i.X, Sum_i.Y)

 $Sum_i X = \sum_{k=1}^n X_i$, $Sum_i Y = \sum_{k=1}^n Y_i$ such that X_i , Y_i are the coordinates of the clicks.

Calculate variance_i, Variance_i = $\frac{Ssum_i}{n}$ (n = the number of learned signatures)

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Calculate deviations

$$Devi.X = \frac{(x_i - average_i.X)^2}{s + Variance_i.X}$$
 (s is 0.0001)

$$Dev_{i}.Y = \frac{(y_{i} - Average_{i}.Y)^{2}}{s + Variance_{i}.Y}$$

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If the number of clicks is wrong or $Dev_iX > 9$ or $Dev_iY > 9$ then fail

Figure 6

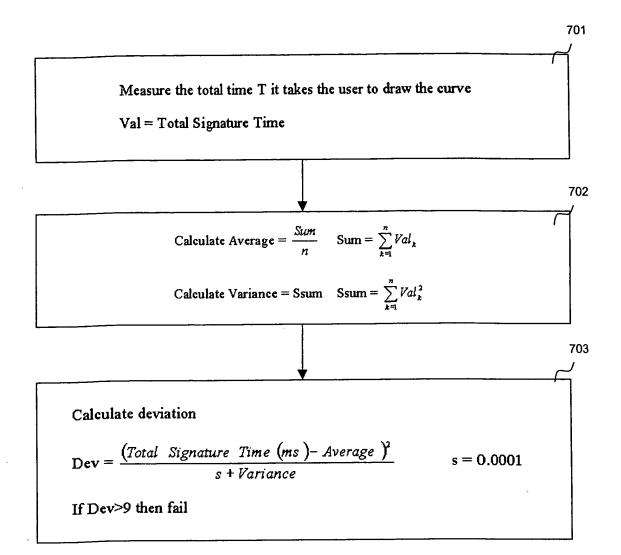
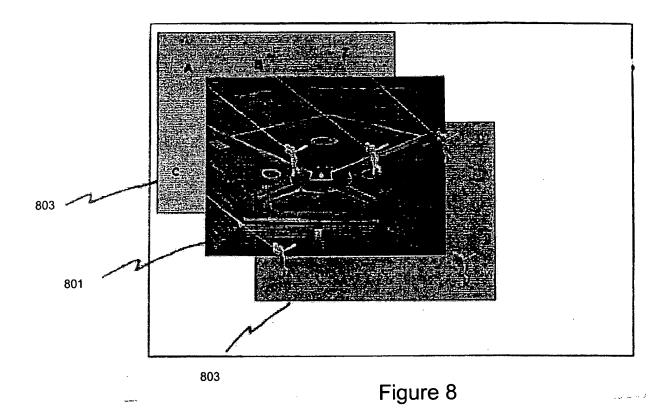


Figure 7



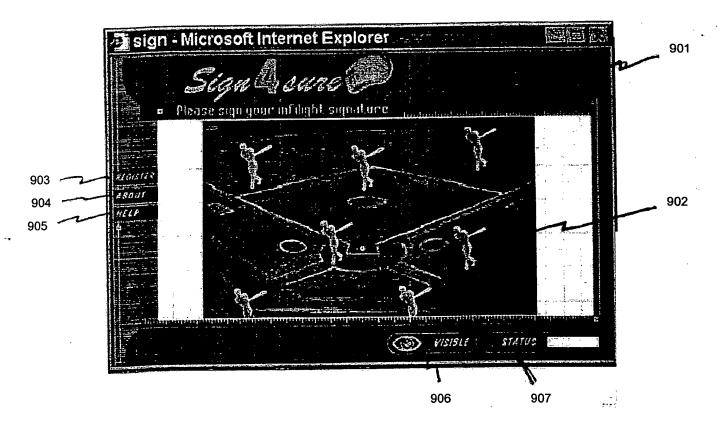


Figure 9

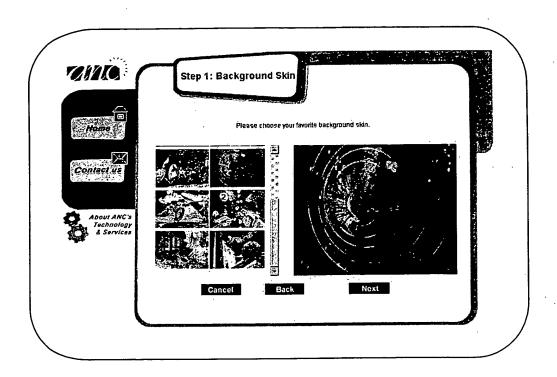


Figure 10

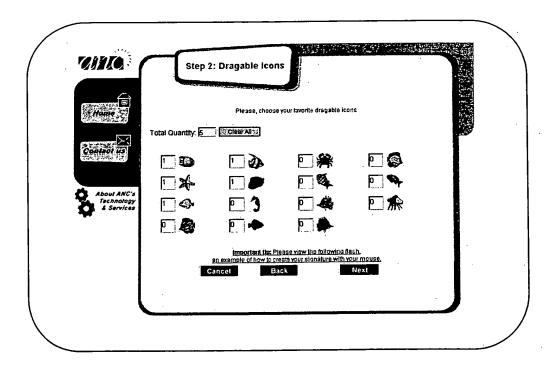


Figure 11

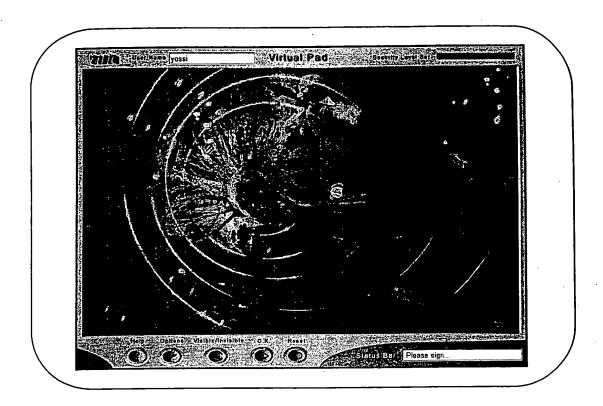


Figure 12

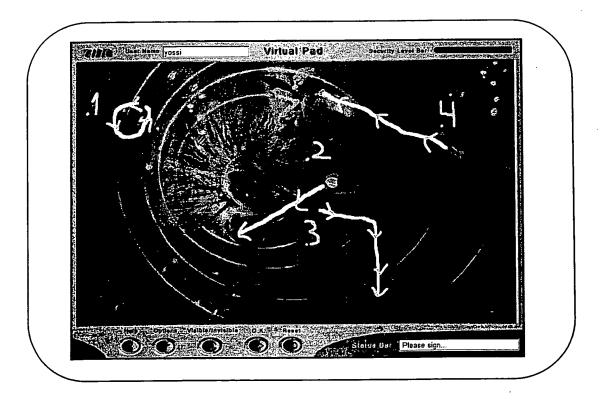


Figure 13

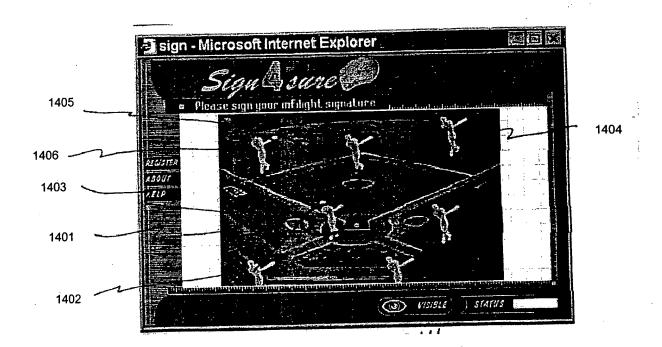


Figure14

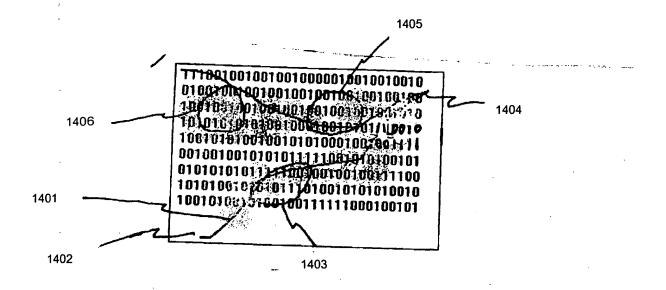


Figure 15

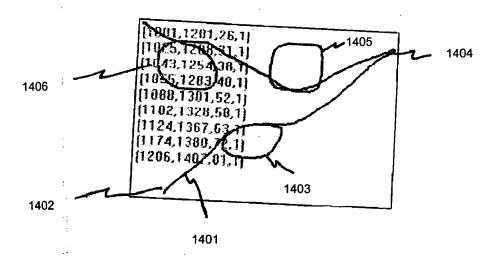


Figure 21

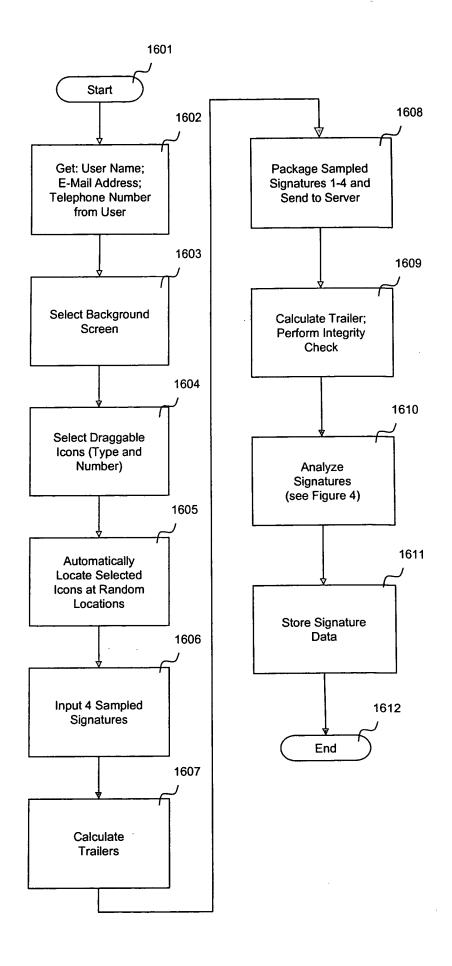


Figure 16

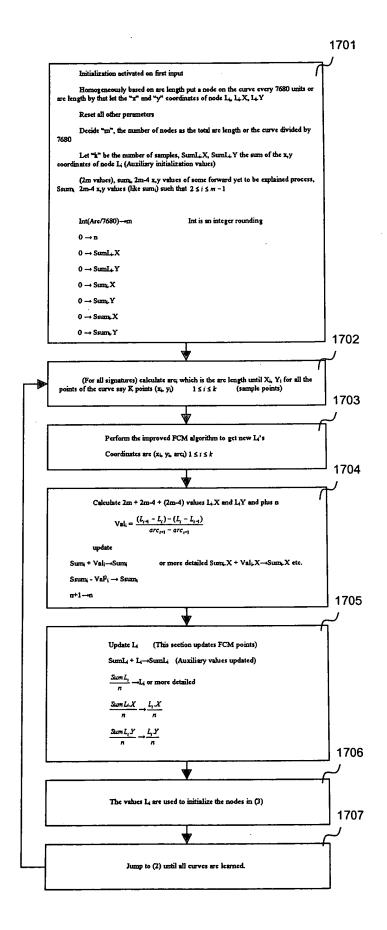


Figure 17

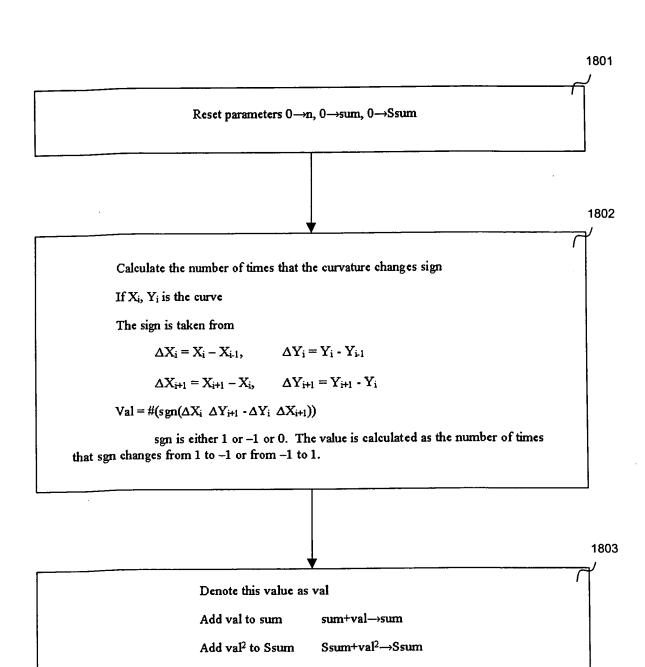


Figure 18

Increment n by 1

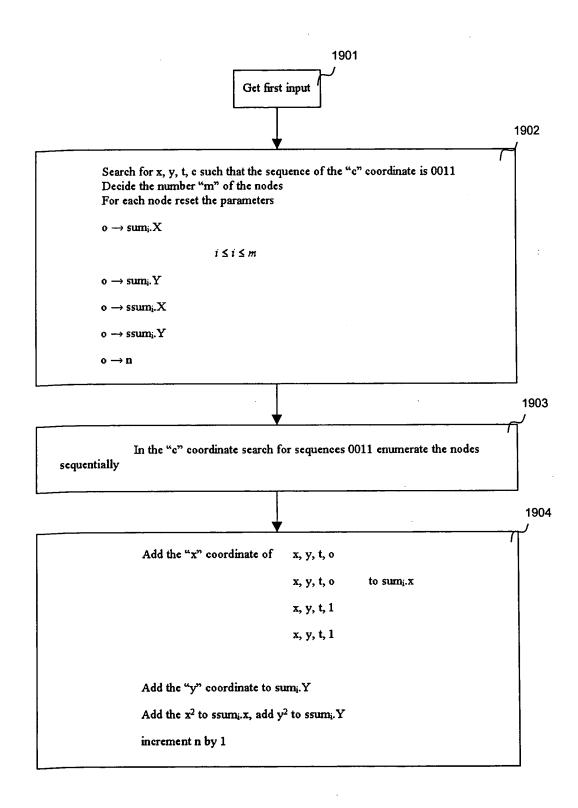


Figure 19

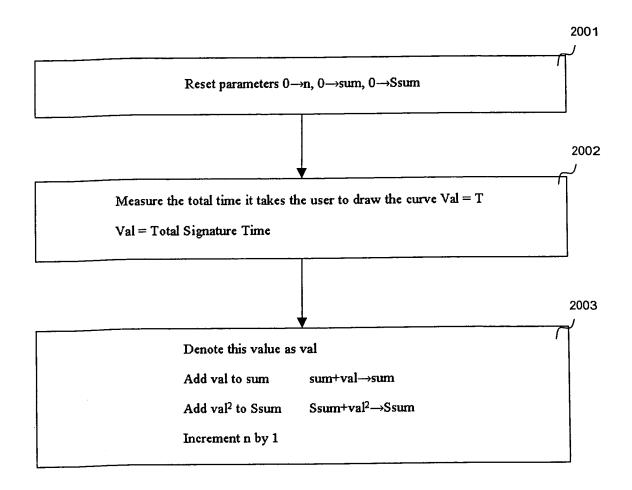
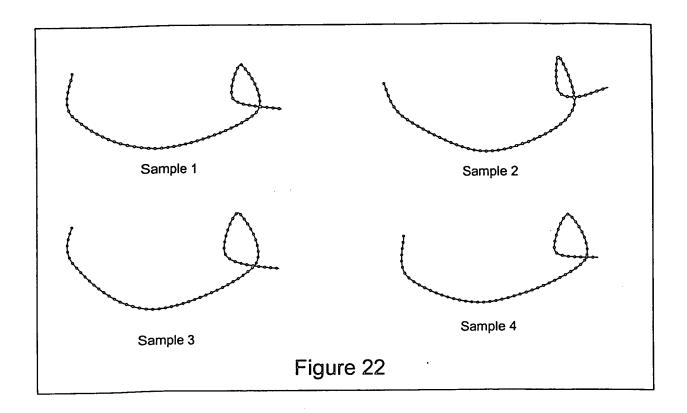
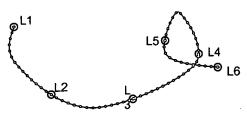


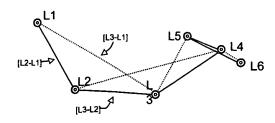
Figure 20





Sample 3 with Agents or Nodes Located Every n (10) Samples

Figure 23



Form Geometric Characteristic Vector:

$$Val_{i} = \frac{[L_{i+1} - L_{i}] - [L_{i} - L_{i+1}]}{ArcLength [L_{i+1} \rightarrow L_{i-1}]}$$

Store n-2 Geometric Characteristic Vectors in User Profile Database as a User Authenticated Signature Profile

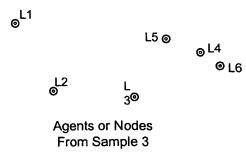
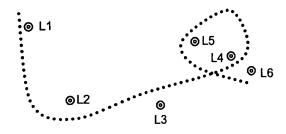
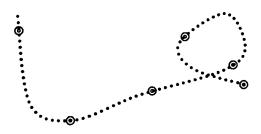


Figure 24



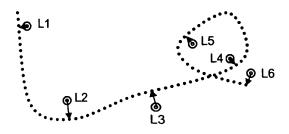
Sampled Signature with Nodes or Agents As Stored

Figure 26



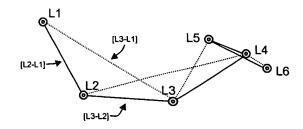
Nodes Located on Curve by FCM

Figure 28



FCM to Migrate Nodes Toward Curve

Figure 27



Form Geometric Characteristic Vector:

$$Val_{i} = \frac{[L_{i+1} - L_{i}] - [L_{i} - L_{i+1}]}{ArcLength [L_{i+1} \rightarrow L_{i+1}]}$$

Store n-2 Geometric Characteristic Vectors in User Profile Database as a User Authenticated Signature Profile

Figure 29

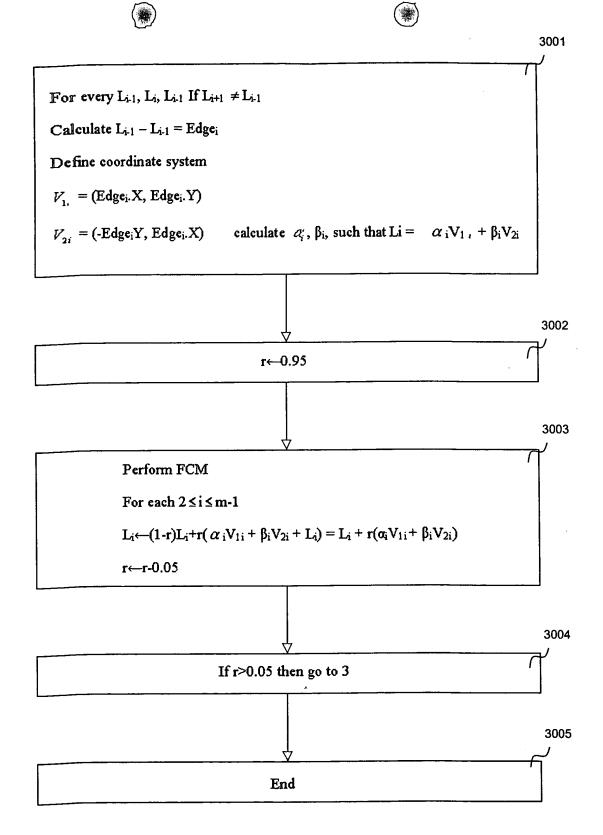


Figure 30